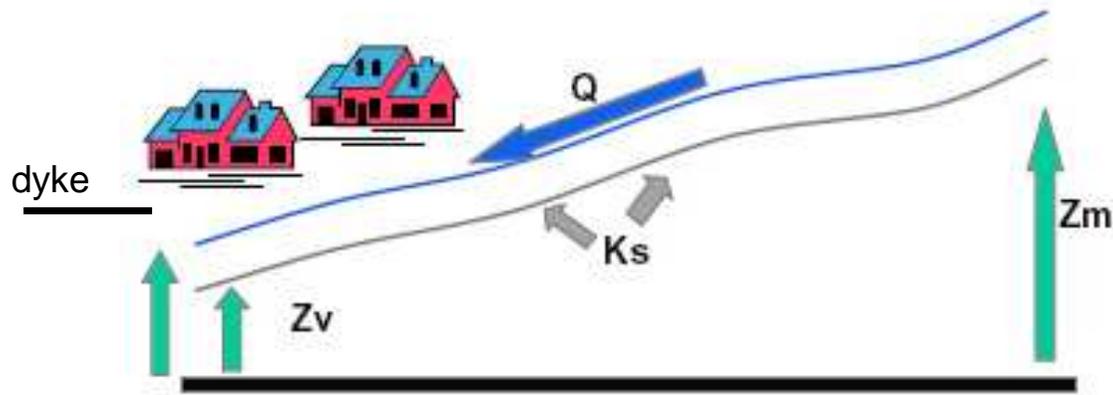


# **Exercises on quantification and uncertainty propagation**

## **Application to a toy hydraulic model**

Bertrand looss

## Example: Flood model



Simplified physical model (hydraulics)

$S$  = overflowing height

$$S = Z_v + H - H_d - C_b \quad \text{avec} \quad H = \left( \frac{Q}{BK_s \sqrt{\frac{Z_m - Z_v}{L}}} \right)^{0.6}$$

$C_p$  = annual cost of dyke maintenance

$$C_p = \mathbb{1}_{S>0} + \left\{ 0.2 + 0.8 \left[ 1 - \exp\left(-\frac{1000}{S^4}\right) \right] \right\} \mathbb{1}_{S \leq 0} + \frac{1}{20} (H_d \mathbb{1}_{H_d > 8} + 8 \mathbb{1}_{8 \leq H_d}),$$

Inputs

$Q$  = river flowrate ~ Gumbel on [500,3000]

$K_s$  = friction coefficient ~ normal(30,8) on [15,50]

$Z_v$  = downstream river bed height ~ triangular on [49,51]

$Z_m$  = upstream river bed height (=55 m)

$H_d$  = dyke height ~ triangular on [7,9]

$C_b$  = bank height ~ triangular on [55,56]

$L$  = river length (=5000m)

$B$  = river width (=300m)