LEVEL SETS AND EXTREMA OF RANDOM PROCESSES AND FIELDS

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page	location	correction
1	L 13	Insert "." at the end of the line
4		Delmas, 2003b)
36	(1.22)	Change the point in which formula (1.22) should be broken, passing Y_k to the second line
42	L -11	Replace $Z(t) : t \geq 0$ by $\{Z(t) : t \geq 0\}$
44	L 14	Replace r^y_{jk} by r^Y_{jk}
45	first five lines have to replaced by	

"Replace Σ^X and Σ^Y by $\Sigma^X + \varepsilon I_n$ and $\Sigma^Y + \varepsilon I_n$. It is easy to check that the new Σ_t is now non-singular for any $t \in [0, 1]$. Then pass to the limit in (2.1) as $\varepsilon \to 0$. This should be done..."

49	L 7-8	Replace "$f_1\big\vert_A$ .... $f_1(x) \leq \alpha''$ by "$f_1\big\vert_A \equiv \alpha, f_1\big\vert_{A^C_\varepsilon} \equiv \delta$ and $\delta \leq f_1(x) \leq \alpha''$
61	L 16	Replace "are" by "is"
72	L 13-14	is bounded for $t \in I$ and x in a neighborhood of u and continuous as a function of x, with the possible exception of the n-dyadic points. This implies...
84	L 13	Replace '=' by '$\leq$'
88	L 3	(G1)
130	L 9	$Z\cos(\omega t + \theta)$
130	(4.46)	$\int_\pi^{T\omega}$
130	L -6	Replace "(A2)" by "(G2)"
130	L -5	Replace "." at the end by "where we assume $\{t > 0 : \Gamma(t) = 1\}$ is non-empty."
134	L -3	shift the whole line to the left margin
136	(5.3)	replace "S_{2M+1}" by "S_{2M-1}"
139	L 8	Replace "X" by "$\mathcal{X}$"
139	L 15	insert after "$t = 2T$" the following: "and the paths of the process are $\mathcal{C}^\infty$ (we know that such a version exists)"
139	L -12	Replace "$\{\vert\}t\vert < 2$" by "$\vert t\vert < 2$"
144	L -1	$\approx \frac{1}{[2!.3!....(2k-1)!]^2}\Big[\prod_{1\leq i<j\leq k}(t_j - t_i)^8\Big] D_{2k-1}(t^*)$
145	L 7	Replace $P'_m(t; f)$ by $P'_m(t_j; f)$
145	L 10	Replace $Q'_m(t; f)$ by $Q'_m(t_j; f)$
186	(7.1), first line	Replace $\mathbb{E}\big(\mathbf{1}_{A_x} sX(t) = x\big)$ by $\mathbb{E}\big(\mathbf{1}_{A_x} \vert X(t) = x\big)$
189	L -1	Replace (twice) "x" by "u"

208	L -10	Replace "F_M" by "$F(x) = \mathbb{P}(M \leq x)''$
212	L 13	Replace "As we have seen, this has" by "This has"
214	L -5	Replace "so" by "for"
215	L 1	Replace "holdxs" by "holds"
216	L -5	Replace "$\lambda \in \mathcal{C}$" by "$\lambda \in \mathcal{C}_{t,j}$"
218	L -10	insert after $\mathbb{R}^d$. the following: Furthermore, we will assume that the function ρ is such that $\rho(\|s-t\|^2)$ is a covariance for every dimension $d \geq 1$ (See Section 12.4 below for a characterization of these functions).
219	formula (4)	replace '24' by '4'
221	lines 1 to 3	replace by: ... polyhedra, each S_j can be partitioned into a finite number of pieces such that $\widehat{\sigma_j}(t)$ is constant in each one of them, so that g_i is equal to the sum of this constants multiplied by the j-dimensional geometric measure of the corresponding pieces.
234	last display	$\exp - \dfrac{\|x' - m'_{j,N}(t)\|^2}{2\overline{\lambda}_j(t)}$
235	L 6	$\times \exp\Big(- \dfrac{(x - \kappa_t\|x'\| - m - \mu)^2}{2\sigma_t^2} - \dfrac{\|x' - m'_{j,N}(t)\|^2}{2\overline{\lambda}(t)}\Big)\ dx'$
244	L 3	$\mathrm{Var}(X(t)) = 1, \mathrm{Var}(X'(t))$ is constant...
	L 4	$\mathrm{Var}(X'(t)) = I_d$
	L 6	$\mathbb{E}(X''_{ij}X''_{kl})$
	L7	add : X''_{ij} stands for $\frac{\partial^2 X(t)}{\partial t_i \partial t_j}$
245	9.1	**PARAMETER**
247	L 3	$\mathbb{P}\{X(0) > u\}$
247	L 11	the three functions $\mathbb{P}\{M \geq u\}$,$\mathbb{P}\{M > u\}$ and..
254	display (9.10) L 1	$\big\vert\ Y(\ell) = u$
254	display (9.10) L 2	$\big\vert\ X(t) = u, X_{10}(t) = 0)$
254	display (9.10) L 3	replaceX_{01} by X_{10}
256	Exercise 9.2	replace $\overline{\Phi}$ by $1 - \Phi$ (twice)
256	Exercise 9.2	replace T^2u by T^2
268	L -7	**Robbins**
	L-4	$\sigma^2 = \int_0^m 2\mathrm{Cov}\left(F(X(0)), F(X(t))\right)dt$
275	L-4	$\bar{H}_j(X(s))\bar{H}_k(X'(s))$
276	(10.31)	idem
	(10.32)	$g(X(s))(X'(s))^+ \ldots \bar{H}_j(X(s))\bar{H}_k(X'(s))$
277	L 12	$\bar{H}_j(X(s))\bar{H}_k(X'(s))$
278	(10.36)	U_u
278	L-1	$2\int_0^{+\infty} \ldots$
279	L 7 and 8	$\dfrac{1}{\sqrt{T}}$
	L-3	$\sum_{q=1}^{Q}$
280	(10.39)	$\vert\Gamma''(s)\vert^{d_4} ds$ $\bar{\Gamma}(s)ds$
281	(10.42)	Three closing parentheses missing
281	Step 3	add : As in page 271 we define $\psi(.) = \left(\mathbb{1}_{[1/4,1/4]}\right)^{*4}$ and $X^\varepsilon(t)$ using equation (10.23)
283	L3	$\ldots d\lambda$
	L-9	$d_{q-k'}(u)$
	L-8	$(const)q^2$
	L-7	$(const)q^2(const)2^{-q}\sum_{k=0}^{q} a_k^2 k! \leq q^2 2^{-q}$
. 302	L -13	Insert "the" between "that" and "distribution"
316	L 12	Replace "$\delta_{\alpha,\beta}$" by "$\delta_{\alpha\beta}$"
342	L -3	Replace "book (1996)" by "books (1990, 1996)"
361	L-8	$\sqrt{2\pi x}$
380	between L16,17	insert the following reference: Girko, V.L. (1990) Theory of Random Determinants. Springer-Verlag.
390	L 2	$\Gamma(t)$ Following the context, Legendre's function or covariance..
391	Index	Bézout
392	Index	Unify Normal Comparison Lemma with Normal comparison lemma